Nanoscale diodes without p-n junctions. Mircea Dragoman IMT –Bucharest





Carbon-based materials





K.S. Novoselov et al., Science 306 (2004) 666 Theory: P.R. Wallace, Phys. Rev. 71 (1947) 622



H.W. Kroto et al., Nature 318 (1985) 162







S. Iijima, Nature 354 (1991) 56



Graphene: Should it exist?







Why the current is flowing in graphene?















Band structure











Simulation done at 100 GHz







The report between the intensities of 2D and G peaks is around 2 telling us that we have a single layer graphene. The 2D and G Raman peaks positions are 2640 cm⁻¹ and 1586cm⁻¹, respectively







A CLOSER LOOK VIA SEM





















$$I = I_0[\exp(V/V_0) - 1]$$
 (1)

 I_0 and V_0 have the values 3.65 mA and 4.68 V for the positive polarization and -2.6 mA and -3.12 V for the negative polarization regime, respectively. Slightly asymmetric characteristics are typical in graphene devices and are due to graphene-substrate (in our case to graphene-CPW as well) interactions.

Choosing a operating point I_{av} and V_{av} and developing (1) in a Taylor series, around an operating point it results the demodulating term arround (I_{av}, V_{av}) :

$$\Delta I = I - I_{av} = I_0 \frac{V_{RF}^2}{4V_0^2} \exp(V_{av} / V_0) \quad (2)$$

 $V_{\rm RF}$ -the value of the RF signal







GRAPHENE RADIO









The detected DC voltage as a function of frequency for various DC currents: 1 mA (thin gray line), 2 mA (black line), 3 mA (thick gray line).





Demodulated signal in time 1 kHz







Schottky metals for graphene

Metal	Work function (eV)
Al	-4.27 eV (the best)
Cr	-4.5 eV
Ti	-43 3 eV

Graphene work function -4.5 eV **Ohmic metals for graphene**

Metal	Work function (eV)
Pd	-5. 12 eV
Pt	-5.6 eV









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Modified, semiconducting graphene in contact with a metal: Characterization of the Schottky diode

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Our results-currents at mA level!

-4

1500

-2

0

2

4

100

-100

-200

10









A GRAPHENE PHASE SHIFTER



BALLISTIC GEOMETRIC GRAPHENE DIODE $d_{in} > d_{out}$ х D_{out}=100nm D_{in}=20 nm L=200nm d_{in} d_{out} rectification $d_{i} = d_{in} - (d_{in} - d_{out})j/(N+1)$ $V_j = -jeV/(N+1)$ Potential energy metallic $k_{n,j} = \operatorname{sgn}(E - V_j) \sqrt{(E - V_j)^2 / (\hbar^2 v_F^2) - (n\pi / d_j)^2}$ contact $T = \sum_{n=1}^{N_{out}} |A_{n,out}|^2 / \sum_{n=1}^{N_{in}} |A_{n,in}|^2$ metallic We compute: contact $A_{n,i}$ *j* = *in*, *out* are calculated by imposing the continuity conditions at each interface for the spinorial solutions of the Dirac equation in region *j*. $\Psi_{j}(x, y) = \begin{pmatrix} \sum_{n=1}^{N_{j}} [A_{n,j} \exp(ik_{n,j}x) + B_{n,j} \exp(-ik_{n,j}x)] \sin(2n\pi y/d_{j}) \\ \sum_{n=1}^{n=1} [A_{n,j} \exp(ik_{n,j}x) - B_{n,j} \exp(-ik_{n,j}x)] \sin(2n\pi y/d_{j}) \end{pmatrix}$





Number of modes

The results are independent on the number of discretization regions *N*. Although there are a finite number of outgoing modes for both voltage polarizations, in all cases there is a voltage range in which no charge carriers are transmitted since for these *V* values the number of outgoing modes, and hence the current, vanishes. This region, with a width given by $\pi \hbar v_F / d_{out}$



 E_{F} = 0 (blue dashed line), 0.1 eV (solid black line) and 0.2 eV (red dotted line).















03/08/2013 16:01:05 **KEITHLEY** Diode Forward I-V Sweep 6.0E-04 5.0E-04 4.0E-04 3.0E-04 2.0E-0 1.0E-04 0.0E+00 -1.0E-04 -2.0E-04 60 mV -3.0E-04 -4.0E-04 -5.0E-04 -6.0E-04 -2.0E+00 -1.0E+00 -4.0E+00 -3.0E+00 0.0E+00 2.0E+00 00+30. Anode Voltage (V) 4(Legend -4V 4V Blank (meV) 100 20 50 E_{g} (meV) C=3 aF $\frac{30}{\theta}$ (degree) 90 k_b T=27 meV at 10 **P**1 R=10K Ω \triangle P2 room ∇ P3 temperature 0 P4 τ = 30fs fc=6 THz D1 ★ ٠ D2 E_g=60 meV 1 30 60 90 0 Phys. Rev. Lett. 98, 206805 (2007) **Energy Band-Gap Engineering of Graphene Nanoribbon** W(nm)A 12-a ediție a Seminarului Național de Nanoștiință și Nanotehnologie,

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